

## Grade 9 Mathematics

### Unit 2: Powers and Exponent Rules

#### Sec 2.1 What is a Power

$2^5$

2 is the **BASE**

5 is the **EXPONENT**

The entire  $2^5$  is called a **POWER**

$2^5 = 2 \times 2 \times 2 \times 2 \times 2$  written as **repeated multiplication**.

$2^5 = 32$  written in **standard form**.

$$2^5 = 2 \times 2 \times 2 \times 2 \times 2 = 32$$

Power

Repeated  
Multiplication

Standard  
Form

To **evaluate** a power means to find the answer in standard form.

Are the base and the exponent interchangeable?

In other words, does  $2^5 = 5^2$  ?

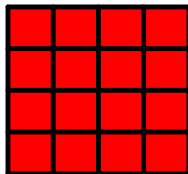
$$2^5 = 2 \times 2 \times 2 \times 2 \times 2 = 32 \qquad 5^2 = 5 \times 5 = 25$$

- No, the base and exponent cannot be switched and still be equal.

**CHALLENGE!!!!** Can you think of one example where the base and exponent can be switched, and the answers are still equal?

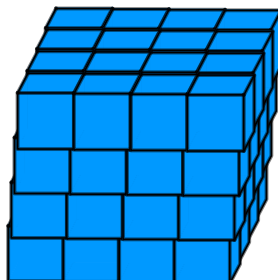
$4^2$  When you have an exponent of 2, it is called a **squared** number.

$$4^2 = 4 \times 4 = 16$$



$4^3$  When you have an exponent of 3, it is called a **cubed** number.

$$4^3 = 4 \times 4 \times 4 = 64$$



### The Importance of Brackets

$(-3)^2$       The brackets tell us that the base is  $-3$ .

$$(-3)^2 = (-3) \times (-3) = +9$$

When there is an **EVEN NUMBER** of negatives then the product is **POSITIVE**.

$$(-3)^3 = (-3) \times (-3) \times (-3) = -9$$

When there is an **ODD NUMBER** of negatives then the product is **NEGATIVE**.

$-3^2$       There are no brackets so the base is  $3$ .

The negative applies to the whole expression.

$$-3^2 = ?$$

Try these:

1. Identify the base and evaluate each power.

a).  $(-5)^4$

b).  $-5^4$

c).  $-(-5)^4$

d).  $(-5)^3$

e).  $-5^3$

f).  $-(-5)^3$

Complete the following:

p.55 # 4,5,7,8,9,10

p.56 # 11,12,13,14,16

p.57 # 18,20

Matching Activity

